

Short Questions

Qn	Answer
1.	$\bar{d} = 1362.7 \text{ m}$
2.	$v = \sqrt{7}/4 c \cong 1.98 \times 10^8 \text{ ms}^{-1}$
3.	$E_{\Delta m} = 17.59 \text{ MeV} \cong 2.814 \times 10^{-12} \text{ J}$
4.	${}^{228}_{88}\text{Ra}$ , show decay transformation path.
5.	$t = 210 \times 10^6 \text{ years}$
6.	Davisson-Germer & Electron double-slit diffraction experiments.
7.	$E_K = 0.55 \text{ eV} \cong 8.8 \times 10^{-20} \text{ J}$
8.	$\lambda' = 0.4045 \times 10^{-9} \text{ m} = 4.045 \text{ \AA}$
9.	$\mathbb{P}_R = \frac{4}{27} \frac{r^2}{r_0^3} \left(1 - \frac{2r}{3r_0} + \frac{2}{27} \left[\frac{r}{r_0}\right]^2\right)^2 \cdot e^{-2r/3r_0}$

Long Questions

Qn	Part	Answer
1.	a.	$p_\mu = 235.6 \text{ MeV}$ $E_K = 152 \text{ MeV}$
	bi-v.	
	bvi.	$x_{Event 2} = 1.7 \text{ units}$ $ct_{Event 2} \cong 2.2 \text{ or } 2.3 \text{ units}$
	bvii.	$x'_{Event 2} \cong 0.02 \text{ units}$ $ct'_{Event 2} \cong 1.47 \text{ units}$
	bviii.	$ct'_{Event 3} \cong 6.05 \text{ units}$ $c\Delta t'_{2 \rightarrow 3} \cong 4.58 \text{ units}$

2.	ai.	$r'_n = \frac{\epsilon_0 n^2 \hbar^2}{\pi m (Ze) e}$												
	aii.	$v'_n = \frac{1}{\epsilon_0} \frac{(Ze) e}{2n\hbar}$												
	bi.	$E_\infty = 54.4 \text{ eV}$												
	bii.	$\lambda_{1 \rightarrow 2} \cong 30 \text{ nm}$ $\lambda_{1 \rightarrow 3} \cong 2.56 \times 10^{-8} \text{ m} = 26 \text{ nm}$ $\lambda_{1 \rightarrow 4} \cong 2.43 \times 10^{-8} \text{ m} = 24 \text{ nm}$												
	biii.	6 lines												
3.	a.	Where $\hat{H}$ operates on $\phi_n$ and separating the expression of $\phi_n$ from the result.												
	b.	Check that $\psi(x, 0)$ is normalized.												
	bii.	<table border="1"> <thead> <tr> <th><math>n</math></th> <th>Energies, <math>E_n</math></th> <th>Probabilities, <math>\mathbb{P}_n</math></th> </tr> </thead> <tbody> <tr> <td>1</td> <td><math>\frac{\pi^2 \hbar^2}{2ma^2}</math></td> <td><math>\frac{2}{5}</math></td> </tr> <tr> <td>3</td> <td><math>9 \frac{\pi^2 \hbar^2}{2ma^2}</math></td> <td><math>\frac{1}{2}</math></td> </tr> <tr> <td>5</td> <td><math>25 \frac{\pi^2 \hbar^2}{2ma^2}</math></td> <td><math>\frac{1}{10}</math></td> </tr> </tbody> </table>	$n$	Energies, $E_n$	Probabilities, $\mathbb{P}_n$	1	$\frac{\pi^2 \hbar^2}{2ma^2}$	$\frac{2}{5}$	3	$9 \frac{\pi^2 \hbar^2}{2ma^2}$	$\frac{1}{2}$	5	$25 \frac{\pi^2 \hbar^2}{2ma^2}$	$\frac{1}{10}$
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	biii.	Using $\int_0^{a/2}  \psi(x, 0) ^2 dx$ $\mathbb{P}(0 \leq x \leq a/2) = 1/2$												
	biv.	$\psi(x, t) = \sqrt{\frac{2}{5}} \cdot \phi_1(x) \cdot e^{-iE_1 t/\hbar} + \sqrt{\frac{1}{2}} \cdot \phi_3(x) \cdot e^{-iE_3 t/\hbar} + \sqrt{\frac{1}{10}} \cdot \phi_5(x) \cdot e^{-iE_5 t/\hbar}$												
	c.													
4.		Using; $p = h/\lambda$ $E_{\text{relativistic total}}^2 = (pc)^2 + (m_0 c^2)^2 = (E_K + m_0 c^2)^2$												